### 3.1 Parallel Lines and Transversals



|  | Example 1: <br> Refer to the rectangular prism at the right. <br> a. How many planes are in the prism? $\qquad$ <br> b. Name a plane parallel to plane $A B E$. <br> c. Name a plane parallel to plane $B C G$. <br> d. Name the intersection of plane $A B C$ and plane $B F \dot{G}$. $\qquad$ <br> e. Name the intersection of plane $E H D$ and plane $A D C$. $\qquad$ <br> f. Name the intersection of plane $H D C$ and plane $B C G$. $\qquad$ <br> g. Name all the segments that intersect $\overline{A B}$. <br> h. Name all the segments parallel to $\overline{A B}$. <br> i. Name all the segments skew to $\overline{A B}$. |
| :---: | :---: |


|  | Term | Definition | Picture |
| :---: | :---: | :---: | :---: |
|  | Transversal |  |  |

TRANSVERSALS and ANGLES

|  | Name | Angles in the Figure |
| :---: | :---: | :---: |
|  | Interior Angles |  |
|  | Exterior Angles |  |



|  | Name | Angles in the Figure |
| :---: | :---: | :---: |
|  | $\frac{\text { Consecutive }}{\text { Interior Angles }}$ $\frac{\text { ("Same Side" }}{\text { Interior Angles) }}$ |  |
|  | Consecutive <br> Exterior Angles <br> ("Same Side" <br> Exterior Angles) |  |



|  | Name | Angles in the Figure |
| :---: | :---: | :---: |
|  | Alternate Interior Angles |  |
|  | Alternate Exterior Angles |  |
|  | Corresponding Angles |  |



|  | Example 2: <br> Refer to the figure below. Identify each pair of angles as alternate interior, alternate exterior, corresponding, or consecutive interior angles. <br> a. $\quad \angle 3$ and $\angle 10$ <br> b. $\quad \angle 2$ and $\angle 12$ <br> c. $\quad \angle 8$ and $\angle 14$ <br> d. $\quad \angle 8$ and $\angle 13$ <br> e. $\angle 1$ and $\angle 9$ <br> f. $\quad \angle 8$ and $\angle 16$ <br> g. $\angle 6$ and $\angle 16$ <br> h. $\quad \angle 3$ and $\angle 11$ <br> i. $\angle 7$ and $\angle 13$ |
| :---: | :---: |
|  | Your Turn: <br> 1. Identify each pair of angles as alternate interior, alternate exterior, corresponding, or consecutive interior angles. <br> a. $\angle 11$ and $\angle 13$ <br> b. $\angle 2$ and $\angle 10$ <br> c. $\angle 4$ and $\angle 6$ <br> d. $\angle 2$ and $\angle 5$ <br> e. $\angle 5$ and $\angle 15$ <br> f. $\angle 10$ and $\angle 16$ <br> g. $\angle 9$ and $\angle 13$ <br> 2. a. Name the intersection of plane $H E F$ and plane $F B C$. $\qquad$ <br> b. Name all the segments that intersect $\overline{C G}$. <br> c. Name all the segments parallel to $\overline{C G}$. <br> d. Name all the segments skew to $\overline{C G}$. |

### 3.2 Angles and Parallel Lines

| 器 | $\bigcirc$ | I can use the properties of parallel lines to determine if angles are congruent. I can use algebra to find angle measures. |
| :---: | :---: | :---: |


|  | Term | Definition | Picture |
| :---: | :---: | :---: | :---: |
|  | Parallel Lines | - Coplanar (on the same plane) lines that do not intersect |  |
|  | Parallel Lines Postulates and Theorems for Angle Pairs |  |  |
|  | Corresponding Angles Postulate | - If two parallel lines are cut by a transversal, then each pair of corresponding angles is $\qquad$ . |  |
|  | Alternate Interior Angles Theorem | - If two parallel lines are cut by a transversal, then each pair of alternate interior angles is $\qquad$ . |  |
| $\begin{aligned} & \text { 灵 } \\ & 0 \\ & \hat{E} \\ & \hat{E} \\ & 0 \end{aligned}$ | Parallel Lines Postulates and Theorems for Angle Pairs |  |  |
|  | Alternate Exterior <br> Angles Theorem | - If two parallel lines are cut by a transversal, then each pair of alternate exterior angles is $\qquad$ . |  |
|  | $\frac{\text { Consecutive Interior }}{\text { Angles Theorem }}$ | - If two parallel lines are cut by a transversal, then each pair of consecutive interior angles is $\qquad$ . |  |


| 気 | Example 1: <br> Suppose $\ell \\| m$ and $m \\| n$. <br> If $m \angle 1=125^{\circ}$, find the following angle measures. <br> a. $m \angle 2=$ $\qquad$ e. $m \angle 8=$ $\qquad$ i. $m \angle 7=$ $\qquad$ <br> b. $m \angle 3=$ $\qquad$ f. $m \angle 9=$ $\qquad$ j. $m \angle 12=$ $\qquad$ <br> c. $m \angle 4=$ $\qquad$ g. $m \angle 10=$ $\qquad$ k. $m \angle 6=$ $\qquad$ <br> d. $m \angle 5=$ <br> h. $m \angle 11=$ |
| :---: | :---: |
|  | Example 2: <br> If $m \angle 2=92^{\circ}$ and $m \angle 12=74^{\circ}$, find the following angle measures. <br> a. $m \angle 10=$ $\qquad$ e. $m \angle 11=$ $\qquad$ <br> b. $m \angle 8=$ $\qquad$ f. $m \angle 13=$ $\qquad$ <br> c. $m \angle 9=$ $\qquad$ g. $m \angle 14=$ $\qquad$ <br> d. $m \angle 5=$ |
|  | Your Turn: <br> If $m \angle 2=78^{\circ}$, find the following angle measures. <br> a. $m \angle 1=$ $\qquad$ d. $m \angle 6=$ $\qquad$ g. $m \angle 5=$ $\qquad$ <br> b. $m \angle 3=$ $\qquad$ e. $m \angle 7=$ $\qquad$ <br> c. $m \angle 4=$ $\qquad$ f. $m \angle 8=$ $\qquad$ |
|  | Example 3: <br> If $m \angle 5=2 x-10$ and $m \angle 6=x+15$, find the value of $x$. Then find $m \angle 5$ and $m \angle 6$. |



### 3.3 Slopes of Lines

| - | I can find slopes of lines. I can use slope to identify parallel lines. I can use slope to identify perpendicular lines. |  |  |
| :---: | :---: | :---: | :---: |
|  | Term | Definition | Picture |
|  | Slope |  |  |



|  | Term | Definition | Picture |
| :---: | :---: | :---: | :---: |
|  | Parallel Lines <br> Perpendicular Lines |  |  |


| Example 3: |
| :--- | :--- |
| Determine whether line $\stackrel{\leftrightarrow}{A B}$ and $\stackrel{\leftrightarrow}{C D}$ are parallel, perpendicular, or neither. |
| Your Turn: <br> Given that $\mathrm{AB}=1 / 3, \mathrm{CD}=-1 / 3, \mathrm{EF}=2 / 6$, and $\mathrm{GH}=3$, determine whether the following pairs are <br> parallel, perpendicular, or neither. <br> a) $\mathrm{AB}(4,7) \quad \mathrm{D}(8,-2)$ |
| b) AB and CD |
| c) GH and $\mathrm{EF} \ldots$ |

### 3.4 Proving Lines Parallel

| 兑 | - I can recognize special pairs of angles formed by parallel lines and transversals. <br> - I can prove that two lines are parallel based on given angle relationships. |
| :---: | :---: |


|  | Postulates and Theorems Used to State that a Pair of Lines is Parallel |  |  |
| :---: | :---: | :---: | :---: |
|  | $\frac{\text { Corresponding }}{\text { Angles }}$ | - If two lines in a plane are cut by a transversal so that a pair of corresponding angles are $\qquad$ , then the lines are $\qquad$ - |  |
|  | $\frac{\text { Alternate Interior }}{\text { Angles }}$ | - If two lines in a plane are cut by a transversal so that a pair of alternate interior angles are $\qquad$ , then the lines are $\qquad$ . |  |
|  | $\frac{\text { Alternate Exterior }}{\text { Angles }}$ | - If two lines in a plane are cut by a transversal so that a pair of alternate exterior angles are $\qquad$ , then the lines are $\qquad$ . |  |
|  | $\frac{\text { Consecutive Interior }}{\text { Angles }}$ | - If two lines in a plane are cut by a transversal so that a pair of consecutive interior angles are $\qquad$ , then the lines are $\qquad$ |  |


|  | Example 1: <br> a. Determine which lines are parallel or choose "not enough information" <br> b. Justify your answer. <br> 1. $\angle 12 \cong \angle 14$ <br> a. $r \\| S$ <br> $\ell \\| m$ <br> not enough information <br> b. Justification: <br> 2. $\angle 5 \cong \angle 13$ <br> a. $r \\| S$ <br> $\ell \\| m$ <br> not enough information <br> b. Justification: <br> 3. $m \angle 11+m \angle 14=180$ <br> a. $r \\| s$ <br> $\ell \\| m$ <br> not erough information <br> b. Justification: |
| :---: | :---: |
| E | a. Determine which lines are parallel or choose "not enough information" <br> b. Justify your answer. <br> 4. $\angle 4 \cong \angle 10$ <br> a. $r \\| S$ <br> $\ell \\| m$ <br> not enough information <br> b. Justification: <br> 6. $\angle 3 \cong \angle 9$ <br> a. $r \\| s$ <br> $\ell \\| m$ <br> not enough infomation <br> b. Justification: |

Find the value of $x$ so that $\ell \| m$.



