## 8.1: The Pythagorean Theorem and its Converse

|  | - I can use the Pythagorean Theorem to find side lengths in right triangles. <br> - I can use the Pythagorean Theorem to determine whether a triangle is a right triangle. |
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| Term/ Concept | Definition/Example | Picture |  |
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|  | Pythagorean | In a right triangle, the sum of the <br> squares of the measures of the legs <br> equals the square of the measure of <br> the hypotenuse. <br> The hypotenuse is always the side <br> of the right triangle that is opposite <br> the right angle. <br> It is also the longest side. |  |



|  | Term/ Concept | Definition/Example | Picture |
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|  | Converse of the Pythagorean Theorem | If the sum of the squares of the measures of 2 sides of a triangle equals the square of the measure of the longest side, then the triangle is a right triangle. | If $a^{2}+b^{2}=c^{2}$, then $\triangle A B C$ is a right triangle. |
|  | Pythagorean Triple | A Pythagorean triple is 3 $\qquad$ that satisfy the equation $\qquad$ where $c$ is the greatest number. |  |


|  | Example 2: <br> Determine whether each set of side measures form a right triangle. Then state whether the sides form a Pythagorean triple. <br> Justify your answer mathematically. <br> a. $8,10,6$ <br> b. $11,7,9$ <br> c. $\sqrt{24}, 5,7$ <br> d. $2 \sqrt{7}, 6,2 \sqrt{2}$ |
| :---: | :---: |
|  | Example 3: <br> Determine whether $\triangle R S T$ is a right triangle for the given vertices. Justify your answer mathematically. $R(0,3) S(-2,5) \quad T(4,7)$  <br> Distance between 2 points $\left(x_{1}, y_{1}\right)$ and $\left(x_{2}, y_{2}\right)=\sqrt{\left(x_{2}-x_{1}\right)^{2}+\left(y_{2}-y_{1}\right)^{2}}$ |

## 8.2: 45-45-90 Triangles

| 菏 | - I can find side lengths of special right triangles using 45-45-90. <br> - I can find side lengths of special right triangles using 30-60-90. <br> - I can find perimeter of figures using properties of special right triangles. |
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| 틀를ล.… | Term/Concept | Definition/Example | Picture |
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|  | $45^{\circ}-45^{\circ}-90^{\circ}$ <br> Triangle . |  <br> In a $45^{\circ}-45^{\circ}-90^{\circ}$ triangle, both hypotenuse is the length of a leg | congruent, and the length of the $\sqrt{2}$. |
|  | Example 1 Find the missing side lengths. <br> a. <br> b. <br> c. |  |  |
|  | d. |  | f. |


|  | Example 2: <br> Find the diagonal of a square that has a perimeter <br> of $20 \mathrm{in}$. | Example 3: <br> Find the perimeter of a square with a diagonal of <br> 12 cm. |
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|  |  |  |

## 8.3: 30-60-90 Triangles

|  | Term/Concept | Definition/Example | Picture |
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|  |  | In a $30^{\circ}-60^{\circ}-90^{\circ}$ triangle, the leng length of the shorter leg, and the the shorter leg times $\sqrt{3}$. | se is $\mathbf{2}$ times the $r$ leg is the length of |
|  | Example 2 <br> Find the missing side lengths. Give your answer in simplest radical form. <br> a. <br> c. |  |  |



## 8.4: Right Triangle Trigonometry

| $\begin{aligned} & \text { No } \\ & \text { No } \\ & \text { en } \\ & 0 \end{aligned}$ | - I can find trigonometric ratios using right triangles (SOH CAH TOA). <br> - I can solve problems using trigonometric ratios (SOH CAH TOA). |  |  |
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| $\begin{aligned} & \text { 틀 } \\ & \stackrel{1}{6} \\ & \stackrel{3}{6} \\ & \frac{3}{6} \end{aligned}$ | Term/Concept | Definition/Example | Picture |
|  | Ratio | - A ratio is a comparison of two amounts. <br> - Example: There are 12 boys and 11 girls in this class. What is the ratio of boys to girls? |  |
|  | Trigonometry | - Trigonometry is a branch of mathematics that deals with the relationships between the sides and angles of triangles. |  |
|  | Trigonometric Ratio | - A trigonometric ratio is a ratio of the lengths of the sides of a right triangle.The 3 most common trigonometric ratios are sine, cosine, and tangent. |  |
|  | sine: <br> cosine: <br> tangent: |  |  |
| SOH |  |  |  |
|  | $\mathrm{n} \angle=\frac{\text { opposite }}{\text { hypotenuse }}$ | $\cos \angle=\frac{\text { adjacent }}{\text { hypotenuse }}$ | $\tan \angle=\frac{\text { opposite }}{\text { adjacent }}$ |

Geometry B Unit 8 Notes

|  | Example 1 <br> Find the following trig ratios. Write your answer as a reduced fraction. | Example 2 <br> Find the following trig ratios. Write your answer as a reduced fraction. |
| :---: | :---: | :---: |
| 苞 | Find the following trig ratios. Write your an $\begin{aligned} & \sin J \\ & \cos J \\ & \tan J \end{aligned}$ | as a reduced fraction. |
|  | Example 3 <br> Use a calculator to find the following values (2 decimal places). <br> a. $\sin 47^{\circ}$ <br> b. $\cos 32^{\circ}$ | e nearest hundredth <br> c. $\tan 84^{\circ}$ |

Example 4
Find the value of $x$. Round to the nearest hundredth.
and

## 8.5: Solving for a Missing Angle using Trigonometry

Example 1:
Use a calculator to find the measure of each angle to the nearest degree.
a. $\sin K=0.5150$
b. $\tan M=7.1154$
c. $\cos R=0.2756$

Example 2:
Find the missing angle measure in each triangle to the nearest degree.
a.

b.

c.


## Example 3:

Given each picture below, determine if you would use sine, cosine, or tangent to find the missing angle measure. Set up an equation that would solve for the missing angle.


## 8.6: Angles of Elevation and Depression

|  | - I can solve problems involving angles of elevation using SOH CAH TOA. <br> - I can solve problems involving angles of depression using SOH CAH TOA. |
| :---: | :---: |


|  | Term/Concept | Definition/Example | Picture |
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| $$ | Angle of Elevation <br> Angle of Depression | the angle formed by a horizontal line and a line of sight $\qquad$ it <br> the angle formed by a horizontal line and a line of sight $\qquad$ it |  |


| Example l: |
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| A ladder leaning against a building makes an angle of $78^{\circ}$ with the ground. The foot of the ladder |
| is 5 feet from the building. How long is the ladder? |
| Example 2: <br> Find the angle of elevation to the sun when a 12.5 meter tall telephone pole casts an 18 -meter long <br> shadow. |


| Example 3: |
| :--- | :--- |
| A salvage ship uses sonar to determine that the angle of depression to a wreck on the ocean floor is |
| $13.25^{\circ}$. The depth chart shows that the ocean floor is 40 meters below the surface. How far must a |
| diver lowered from the salvage ship walk along the ocean floor to reach the wreck? |
| Example 4: <br> A ski run is 1000 yards long with a vertical drop of 208 yards. Find the angle of depression from <br> the top of the ski run to the bottom. |
| Example 5: <br> A person whose eyes are 5 feet above the ground is standing on an airport runway 100 feet from <br> the control tower. That person observes an air traffic controller at the window of the 132 -foot <br> tower. What is the angle of elevation for the person on the ground looking up at the air traffic <br> controller? |
| Example 6 : <br> The town of Belmont restricts the height of flagpoles to 25 feet on any property. Lindsay wants to <br> determine whether her school is in compliance with the regulation. Her eye level is 5.5 feet from <br> the ground, and she is standing 36 feet from the flagpole. If the angle of elevation is about $25^{\circ}$ <br> from Lindsay's eyes to the top of the flagpole, what is the height of the flagpole to the nearest <br> tenth? |

